

Naur
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Types of expressions.
Assignments.

The following definition of the meaning of expressions makes use of the following abbreviations :

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i_1, i_2, i_3, i_4 stands for identifiers declared to be integer
 r_1, r_2 stands for identifiers declared to be real

realfrominteger is the identifier of a transfer function having integer declared argument and real declared value.

The words "is of type integer" or "is of type real" indicate that combinations so described may be used anywhere where identifiers i respectively r is permitted, if suitably enclosed in brackets.

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- ✓ 1.1 $i_1 + i_2$ is of type integer
- ✓ 1.2 $i_1 \times i_2$ " " " "
- ✓ 1.3 .1 i_1 / i_2 For $i_2 = 0$, undefined.

Otherwise :-

~~Possibility 1: Always undefined~~
" 2: " of type real

Possibility 3 a recommended :

Value is
~~entier~~ $(\text{realfrominteger } i_1) / \text{realfrominteger } (i_2) \neq 0.5$
of type integer

1.3.2

Possibility 3b

Value is
 $\text{entier}(\text{realfrominteger } (i_1) / \text{realfrominteger } (i_2))$
of type integer

$i_1 \div i_2$

$\text{sign}(i_1/i_2)$

Possibility 4 : value is integer or real according to context (mathematical properties)

$i_1 \times i_2 \dots i_1$ (i_2 times)

- 1.4 $i_1 \uparrow i_2$ For $i_2 > 0$, of type integer
For $i_2 < 0$, the effect is as though there were
 $i_3 := 1$
 $i_4 := i_1 \times i_1 \times \dots \times i_1$
- i_2 times
then i_3 / i_4 (see 1.3)

i_4
- i_2
13 1.3

For $i_2 = 0$: 1 of type integer .../.

1.5 $i1 := i2$ Always defined directly.

2.1 $i1 + r2$ is of type real

2.2 $i1 \times r2$ " " " "

2.3 $i1/r2$ for $r2 = 0$ undefined
otherwise of type real

✓ 2.4 $i1 \uparrow r2$ for $i1 > 0$:
Value is $\exp(r2 \times \ln(i1))$ of type real

for $i1 = 0$:

If $r2 > 0$ value is 0 of type real
otherwise undefined

for $i1 < 0$

Always undefined

✓ 2.5 $i1 := r2$

~~Possibility 1: undefined~~

→ Possibility 2a. To be equivalent to

$i1 := \text{entier}(r2 + 0.5)$

(cjr 1.3)

Possibility 2b. To be equivalent to

$i1 := \text{entier}(r2)$

Possibility 3. Defined or undefined according to
context (mathematical properties)

✓ 3.1 $r1 + i2$ is of type real

✓ 3.2 $r1 \times i2$ " " " "

✓ 3.3 $r1 / i2$ for $i2 = 0$ undefined
otherwise of type real

✓ 3.4 $r1 \uparrow i2$ If $i2 > 0$
Value is $r1 \times r1 \times \dots \times r1$ ($i2$ times)
of type real

If $i2 = 0$

Value is 1.0 of type real

If $i2 < 0$

If $r1 = 0$ value is undefined
otherwise the value is

$1.0 / (r1 \times r1 \times \dots \times r1)$ of type real

= $i2$ times

- ✓ 3.5. $r1 := i2$ To be equivalent to
 $r1 := \text{realfrominteger}(i2)$
- ✓ 4.1. $r1 + r2$ is of type real
- ✓ 4.2. $r1 \times r2$ " " " "
- ✓ 4.3. $r1 / r2$ for $r2 = 0$ undefined
otherwise of type real
- ✓ 4.4. $r1 \uparrow r2$ As case 2.4. with $r1$ for $i1$
- ✓ 4.5. $r1 := r2$ Always defined directly

NB

Numbers

Possibility 1

Unsigned integers are of type integer or real according to context

Possibility 2

Unsigned integers are of type integer (example:3)

Proper decimal numbers (defined as below) are of type real. (example: 3.0)

$\langle \text{proper decimal number} \rangle ::=$
 $\langle \text{unsigned integer} \rangle . \langle \text{unsigned integer} \rangle |$
 $\langle \text{unsigned integer} \rangle$

NB

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Transfer functions

It is understood that transfer functions between any pair of recognized entities may be defined.

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